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In[308]:= (**refractive index data for Ag and Au**)
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Off[General::spell1];
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Off[SetDelayed::write];
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dataAg = {{.64, .24 - I*14.08},  
{.77, .15 - I*11.85},  
{.89, .13 - I*10.1},  
{1.02, .09 - I*8.828},  
{1.14, .04 - I*7.795},  
{1.26, .04 - I*6.992},  
{1.39, .04 - I*6.312},  
{1.51, .04 - I*5.727},  
{1.64, .03 - I*5.242},  
{1.76, .04 - I*4.838},  
{1.88, .05 - I*4.483},  
{2.01, .06 - I*4.152},  
{2.13, .05 - I*3.858},  
{2.26, .06 - I*3.586},  
{2.38, .05 - I*3.324},  
{2.50, .05 - I*3.093},  
{2.63, .05 - I*2.869},  
{2.75, .04 - I*2.657},  
{2.88, .04 - I*2.462},  
{3.00, .05 - I*2.275},  
{3.12, .05 - I*2.070},  
{3.25, .05 - I*1.864},  
{3.37, .07 - I*1.657},  
{3.50, .10 - I*1.419},  
{3.62, .14 - I*1.142},  
{3.74, .17 - I*0.829},  
{3.87, .81 - I*0.392},  
{3.99, 1.13 - I*0.616},  
{4.12, 1.34 - I*0.964},  
{4.24, 1.39 - I*1.161},  
{4.36, 1.41 - I*1.264},  
{4.49, 1.41 - I*1.331},
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{4.61, 1.38 - i*1.372},  
{4.74, 1.35 - i*1.387},  
{4.86, 1.33 - i*1.393},  
{4.98, 1.31 - i*1.389},  
{5.11, 1.30 - i*1.378}};  
  
Ag1 = Table[{Evaluate[dataAg[[i, 1]]], Evaluate[Re[dataAg[[i, 2]]]]}, {i, 1, 37}];  
Interpolation[Ag1, InterpolationOrder → 2];  
Ag2 = Table[{Evaluate[dataAg[[i, 1]]], Evaluate[Im[dataAg[[i, 2]]]]}, {i, 1, 37}];  
Interpolation[Ag2, InterpolationOrder → 2];  
nAg[ω_] := Interpolation[Ag1][ω] + i*Interpolation[Ag2][ω];  
  
data = {{.64, .92 - i*13.78},  
{.77, .56 - i*11.21},  
{.89, .43 - i*9.519},  
{1.02, .35 - i*8.145},  
{1.14, .27 - i*7.150},  
{1.26, .22 - i*6.350},  
{1.39, .17 - i*5.663},  
{1.51, .16 - i*5.083},  
{1.64, .14 - i*4.542},  
{1.76, .13 - i*4.103},  
{1.88, .14 - i*3.697},  
{2.01, .21 - i*3.272},  
{2.13, .29 - i*2.863},  
{2.26, .43 - i*2.455},  
{2.38, .62 - i*2.081},  
{2.50, 1.04 - i*1.833},  
{2.63, 1.31 - i*1.849},  
{2.75, 1.38 - i*1.914},  
{2.88, 1.45 - i*1.948},  
{3.00, 1.46 - i*1.958},  
{3.12, 1.47 - i*1.952},  
{3.25, 1.46 - i*1.933},  
{3.37, 1.48 - i*1.895},  
{3.50, 1.50 - i*1.866},  
{3.62, 1.48 - i*1.871},  
{3.74, 1.48 - i*1.883},  
{3.87, 1.54 - i*1.898},  
{3.99, 1.53 - i*1.893},
```

```

{4.12, 1.53 - i*1.889},
{4.24, 1.49 - i*1.878},
{4.36, 1.47 - i*1.869},
{4.49, 1.43 - i*1.847},
{4.61, 1.38 - i*1.803},
{4.74, 1.35 - i*1.749},
{4.86, 1.33 - i*1.688},
{4.98, 1.33 - i*1.631},
{5.11, 1.32 - i*1.577},
{5.23, 1.32 - i*1.536},
{5.36, 1.30 - i*1.497},
{5.48, 1.32 - i*1.460},
{5.60, 1.31 - i*1.427},
{5.73, 1.30 - i*1.387},
{5.85, 1.30 - i*1.350},
{5.98, 1.30 - i*1.304},
{6.10, 1.30 - i*1.277},
{6.22, 1.33 - i*1.251},
{6.35, 1.34 - i*1.266},
{6.47, 1.32 - i*1.203},
{6.60, 1.28 - i*1.188}};

Au1 = Table[{Evaluate[data[[i, 1]]], Evaluate[Re[data[[i, 2]]]]}, {i, 1, 49}];
Interpolation[Au1, InterpolationOrder -> 2];
Au2 = Table[{Evaluate[data[[i, 1]]], Evaluate[Im[data[[i, 2]]]]}, {i, 1, 49}];
Interpolation[Au2, InterpolationOrder -> 2];
nAu[ω_] := Interpolation[Au1][ω] + i*Interpolation[Au2][ω];

(**Functions needed to calculate the an and bn coefficients in Mie theory,
the coefficients and expressions fro the extinction and scattering efficiencies,
nmax is the maximum number of terms in the expansion**)

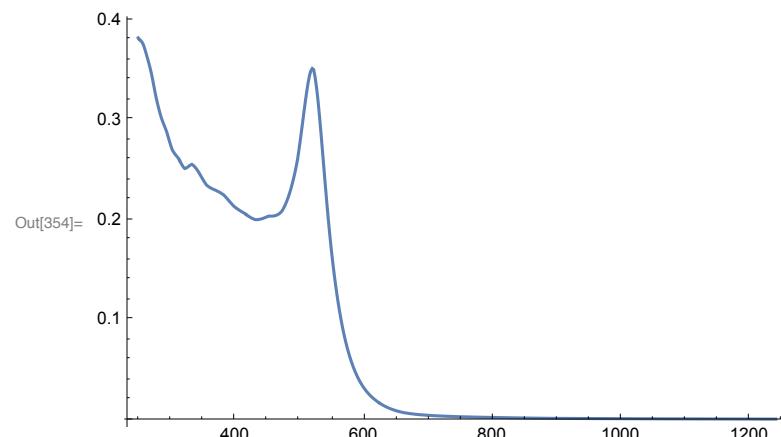
ψ[n_, x_] := Sqrt[π x / 2] BesselJ[n + 1 / 2, x];
dψ[n_, x_] := Sqrt[π x / 2] ((n + 1 / 2) BesselJ[n + 1 / 2, x] - BesselJ[n + 3 / 2, x] + BesselJ[n + 1 / 2, x] / (2 x));

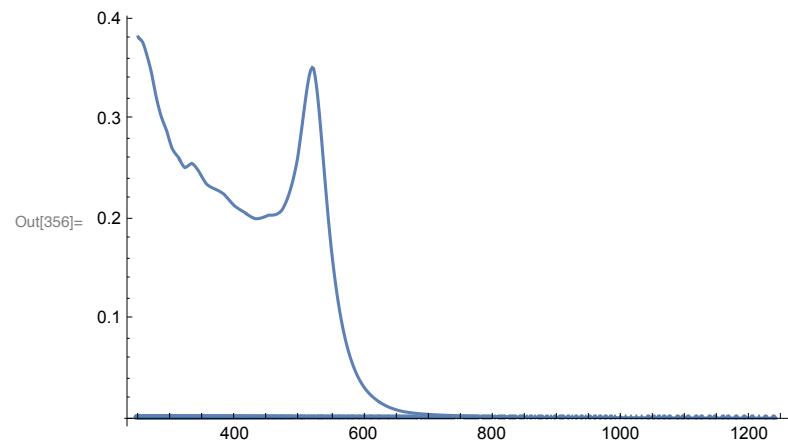
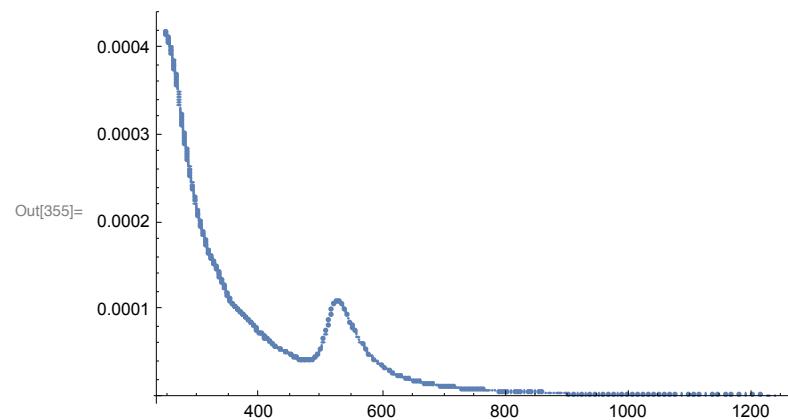
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$$\begin{aligned}\xi[n_-, x_-] &:= \sqrt{\frac{\pi x}{2}} (\text{BesselJ}[n + 1/2, x] - i * \text{BesselY}[n + 1/2, x]); \\ d\xi[n_-, x_-] &:= \sqrt{\frac{\pi x}{2}} \left(\left(\frac{n + 1/2}{x} \right) \text{BesselJ}[n + 1/2, x] - \text{BesselJ}[n + 3/2, x] + \frac{\text{BesselJ}[n + 1/2, x]}{2 x} - i * \left(\left(\frac{n + 1/2}{x} \right) \text{BesselY}[n + 1/2, x] - \text{BesselY}[n + 3/2, x] + \frac{\text{BesselY}[n + 1/2, x]}{2 x} \right) \right); \\ an[n_-, x_-, m_-] &:= \frac{d\psi[n, m * x] * \psi[n, x] - m * \psi[n, m * x] * d\psi[n, x]}{d\psi[n, m * x] * \xi[n, x] - m * \psi[n, m * x] * d\xi[n, x]}; \\ bn[n_-, x_-, m_-] &:= \frac{m * d\psi[n, m * x] * \psi[n, x] - \psi[n, m * x] * d\psi[n, x]}{m * d\psi[n, m * x] * \xi[n, x] - \psi[n, m * x] * d\xi[n, x]}; \\ n_{\max} &= 10; \\ Q_{\text{sca}}[x_-, m_-] &:= \frac{2}{x^2} \sum_{i=1}^{n_{\max}} ((2 i + 1) * (\text{Abs}[an[i, x, m]]^2 + \text{Abs}[bn[i, x, m]]^2)); \\ Q_{\text{ext}}[x_-, m_-] &:= \frac{2}{x^2} \sum_{i=1}^{n_{\max}} ((2 i + 1) * (\text{Re}[an[i, x, m]] + \text{Re}[bn[i, x, m]]));\end{aligned}$$

```
In[347]:= (**routine for calculating spectra, output is efficiency versus wavelength,
a is the radius of the particle and nmed the refractive index of the medium**)
Clear[a, λ, ω];
a = 3.5;
nmed = 1.25;
x[ω_] := 2 * π * a * nmed * 8065.5 * ω / 107;
λ[ω_] :=  $\frac{10^7}{8065.5 * \omega}$ ;
tab1 = Table[{λ[ω], Evaluate[Qext[x[ω], nAu[ω] / nmed] ]}, {ω, 1, 5, .01}];
tab2 = Table[{λ[ω], Evaluate[Qsca[x[ω], nAu[ω] / nmed] ]}, {ω, 1, 5, .01}];
```

```
In[354]:= gp1 = ListLinePlot[tab1, PlotRange → All]
gp2 = ListPlot[tab2, PlotRange → All]
Show[gp1, gp2]
```





```
(**routine for calculating the "radar cross-section" which is efficiency versus size (x = (2π a nmed) / λ),  
nsp is the refractive index of a sphere**)

nsp = 1.33;  
nmed = 1.;  
  
tab3 = Table[{x, Evaluate[Qsca[x, nsp / nmed] ]}, {x, 1, 50, .1}];  
(**tab4=Table[{x,Evaluate[Qext[x,nsp/nmed] }},{x,1,50,.5}];**) 
```

```
ListLinePlot[Log10[tab3], PlotRange → All]
ListLinePlot[tab3, PlotRange → All]
```

